

Runtime Assertion Checking and its Combinations with Static and Dynamic Analyses

Nikolay Kosmatov and *Julien Signoles*



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long ra
t for 0 =>
ct) if (m
tmp2 =
of the

tmp2[0] = 1; /* (N-1) also if (tmp1[0]) >= 1; /* (N-1) tmp2[0] = 1; /* (N-1) else tmp2[0] = tmp1[0]; /* Then the second part takes the first one
tmp1[0] = 0; k = 0; k++) tmp1[0][k] += mc2[0][k] * tmp2[k]; /* The [0][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1 *MC1
l = 1; tmp1[0][l] >>= 1; /* Final rounding: tmp2[0][l] is now represented on 9 bits. if (tmp1[0][l] < -255) m2[0][l] = -255; else if (tmp1[0][l] > 255) m2[0][l] = 255; else m2[0][l] = tmp1[0][l];



Runtime verification of rigorous, mathematical semantic properties of a C program

▶ safety properties:

- ▶ no division by zero
- ▶ no arithmetic overflow
- ▶ validity of memory accesses
- ▶ ...

▶ functional properties:

- ▶ function preconditions must be satisfied by the caller
- ▶ function postconditions must be satisfied by the callee
- ▶ ...

▶ ...



In this tutorial, we will see:

- ▶ how to **specify** a C program with the **E-ACSL specification language**
- ▶ how to **detect errors at runtime** with the **E-ACSL plug-in** of **Frama-C**
- ▶ how to **combine** runtime verification with other analyses

long ra
for 0 <=
C1) if (m
tmp2 = m
of the

tmp2[0] = 1 << (n-1) else if (tmp1[0]) >= 1 << (n-1) - 1 else tmp2[0] = tmp1[0]; /* Then the second part takes the first part of the
tmp1[0] = 0; k = 5; k++) tmp1[k] += m2[0][k] * tmp2[k]; /* The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1 *MC1
i = 1; tmp1[0] >= 1; /* Final rounding: tmp2[0] is now represented on 9 bits. *if (tmp1[0] < -256) m2[0] = -256; else if (tmp1[0] > 255) m2[0] = 255; else tmp2[0] = tmp1[0];



Presentation of Frama-C

- Frama-C Overview
- E-ACSL

Runtime Verification

- Assertions
- Function Contracts
- Integers
- Memory-Related Annotations

Combinations with Other Analyzers

- Runtime Errors
- Tests Generation and RAC
- Deductive Method and RAC
- Abstract Interpretation and RAC



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if (long ra
t for 0 <=
C1) if (m
tmp2 =
re of the

tmp2[0] = 1; else if (tmp1[0] >= 1) <<= (Nbr - 1) tmp2[0] = 1; else tmp2[0] = tmp1[0]; /* Then the second pass looks like the first one: */
tmp1[0][k] = 0; k = 0; k <= 8; k++) tmp1[0][k] += mc2[0][k] * tmp2[0][k]; /* The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*[TMP1] = MC2*[M1] * MC1
l = 1; tmp1[0][l] >= 1; */ Final rounding: tmp2[0][0] is now represented on 9 bits. *if (tmp1[0][0] < -256) m2[0][0] = -256; else if (tmp1[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tm



- ▶ Framework of **Analyses of ISO C 99 Code**
- ▶ Developed at **CEA LIST** (Software Security labs) and **INRIA Saclay** (Toccata team).
- ▶ Released under **LGPL** license (Neon, March 2014)
- ▶ **ACSL** annotation language.
- ▶ Plug-in based **extensible platform**
 - ▶ Collaboration of analyses over same code
 - ▶ Inter plug-ins communication through ACSL formulae.
 - ▶ Adding new (open/close-source) plug-ins is easy
- ▶ Used in several **industrial contexts**

<http://frama-c.com>



- ▶ like **JML** or **Spec#** for C programs
- ▶ based on **Eiffel-like contracts**
- ▶ allows the users to specify **behavioral functional properties** of their programs
- ▶ **designed for static analyzers**
- ▶ independent from a particular analysis/tool
- ▶ **lingua franca** of Frama-C analyzers

<http://frama-c.com/acsl>



- ▶ first-order logic
- ▶ pure C expressions (side-effect-free expressions)
- ▶ C types + \mathbb{Z} (integer) and \mathbb{R} (real)
- ▶ built-ins **predicates** and **logic functions**, particularly over pointers:
 - ▶ `\valid(p)`
 - ▶ `\valid(p+0..2),`
 - ▶ `\separated(p+0..2, q+0..5),`
 - ▶ `\block_length(p)`
 - ▶ ...
- ▶ ...



E-ACSL, a specification language

- ▶ (large) executable subset of ACSL
- ▶ annotations may be evaluated at runtime

Main differences with ACSL:

- ▶ remove unexecutable ACSL constructs (e.g. axiomatics)
- ▶ compatible semantics changes

<http://frama-c.com/e-acsl/e-acsl.pdf>



Benefits:

- ▶ being executable allows to be **understandable by dynamic tools** (testing tools, monitors)
- ▶ being based on ACSL allows to be **supported by existing Frama-C analyzers**
- ▶ being translatable into C allows to be **supported by other analysis tools for C**

long n
for 0 <=
C1) if (n
tmp2 =
of the

tmp2[0] = 1; for (k=1; k<=n; k++) tmp2[k] = m2[0][k] * tmp2[0]; /* The [0] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1 *MC1
= 1 * tmp1[0] >= 1.*/ Final rounding: tmp2[0] is now represented on 9 bits: if (tmp1[0] <= 255) m2[0] = 255; else if (tmp1[0] > 255) m2[0] = 255; else if (tmp1[0] < -255) m2[0] = -255; else if (tmp1[0] > 255) m2[0] = 255; else if (tmp1[0] < -255) m2[0] = -255; else m2[0] = tmp1[0];



E-ACSL, a Frama-C plug-in

- ▶ converts an annotated C program p into another one p'
- ▶ p' fails at runtime whenever an annotation is violated
- ▶ p' and p have the same functional behavior if no annotation is violated

long n
for (i = 0;
i < n; i++)
tmp2 =
... of the

tmp2[i] = 0; // for k=0 to n-1, tmp2[k] = 0; // Then the second part takes the first part
tmp1[i][j] = 0; k = 0; k++ tmp1[i][j] += m2[i][k] * tmp2[k][j]; // The [i][j] coefficient of the matrix product MC2*TMP2, that is *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1
i = 1; tmp1[0][i] += 1; // Final rounding: tmp2[0][i] is now represented on 9 bits: *if (tmp1[0][i] < -256) tmp2[0][i] = -256; else if (tmp1[0][i] > 255) tmp2[0][i] = 255; else tmp2[0][i] = tmp1[0][i];



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```
if (long ra  
for (i = 0  
c1) if (m  
tmp2 =  
se of the
```

```
tmp2[0] = (i << (nbl - 1)) else if (tmp1[0]) >>= (i << (nbl - 1)) tmp2[0] = (i << (nbl - 1)) + 1; else tmp2[0] = tmp1[0]; /* Then the second part looks like the first one: */  
tmp1[0][k] = 0; k = k + 1; tmp1[0][k] += mc2[0][k] * tmp2[0][k]; /* The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(M1)*MC1  
i = 1; tmp1[0][0] >>= 1; /* Final rounding: tmp2[0][0] is now represented on 9 bits. *if (tmp1[0][0] < -256) m2[0][0] = -256; else if (tmp1[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tm
```



What and why?

- ▶ ensure properties at some program points
- ▶ defensive programming

How?

- ▶ C macro `assert` provided by `assert.h`
 - ▶ takes a C expression of type `int` as argument
- ▶ E-ACSL clause `assert`
 - ▶ takes an E-ACSL predicate as argument
 - ▶ much more expressive than C "boolean" expressions



```
int max(int x, int y) { return x < y ? x : y; }
```

```
int main(void) {
  int m = max(0, 0);
  /*@ assert m == 0; */ // assert (m == 0);
  m = max(-4, 3);
  /*@ assert m == 3; */ // assert (m == 3);
  return 0;
}
```

- ▶ generate the C code in file a.c with:

```
frama-c -e-acsl max.c \
  -then-on e-acsl -print -ocode a.c
```



- ▶ **goal:** specification of imperative functions
- ▶ **approach:** give assertions (i.e. properties) about the functions
 - ▶ **precondition** is supposed to be true on entry (ensured by callers of the function)
 - ▶ **postcondition** must be true on exit (ensured by the function if it terminates)
- ▶ nothing is guaranteed when the precondition is not satisfied
- ▶ **termination** may or may not be guaranteed (total or partial correctness)



long n;
for (i = 0; i < n; i++)
 tmp2[i] = ...
 of the

tmp2[i] = i * (n - i) else tmp2[i] = i * (n - i) + tmp2[i]; // Then the second pass takes for the first pass
 tmp2[i] = 0; k = k + 1; tmp2[i] = mc2[i][k] * tmp2[k][i]; // The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1
 i = i + 1; tmp2[i][i] >>= 1; // Final rounding tmp2[0][i] is now represented on 3 bits: if (tmp2[0][i] < -255) tmp2[0][i] = -255; else if (tmp2[0][i] > 255) tmp2[0][i] = 255; else tmp2[0][i] =

- ▶ the **precondition** is verified when entering the function
- ▶ the **postcondition** is verified when exiting the function
- ▶ the **contract** is thus verified for each function call

long n;
for (i = 0; i < n; i++)
 tmp2[i] = 0;

tmp2[0] = 1; // (n-1) else if (tmp1[j]) >= 1; // (n-1) - 1; else tmp2[j] = tmp1[j]; // Then the second part takes the first part
tmp1[0] = 0; k = 5; k--> tmp1[0][j] += mc2[0][k] * tmp2[k][j]; // The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1
i = 1; tmp1[0][i] >= 1; // Final rounding: tmp2[0][i] is now represented on 9 bits. *if (tmp1[0][i] < -256) m2[0][i] = -256; else if (tmp1[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tmp1[0][i];



absval computes the absolute value of its argument.

```

/*@ ensures (x >= 0 ==> \result == x)
   @      && (x < 0 ==> \result == -x); */
int absval(int x) { return x>0 ? x : -x; }

```

- ▶ that is actually **wrong** when the argument is INT_MIN.



absval computes the absolute value of its argument.

```
/*@ ensures (x >= 0 ==> \result == x)
   @      && (x < 0 ==> \result == -x); */
int absval(int x) { return x>0 ? x : -x; }
```

- ▶ that is actually **wrong** when the argument is INT_MIN.



```

#include <limits.h>

/*@ requires x > INT_MIN;
   @ ensures (x >= 0 ==> \result == x)
   @      && (x < 0 ==> \result == -x); */
int absval(int x) { return x>0 ? x : -x; }

```

- ▶ preprocessing annotations requires to use the option `-pp-annot`



- ▶ Global precondition (**requires**) and postcondition (**ensures**) apply to all cases
- ▶ Behaviors refine global contract in particular cases
- ▶ For each **behavior** (case):
 - ▶ the subdomain is defined by **assumes** clause
 - ▶ additional constraints are given with local **requires** clauses
 - ▶ the behavior's postcondition is defined by **ensures** clauses, ensured whenever **assumes** condition is true
- ▶ **complete behaviors** states that given behaviors cover all cases (not supported by the E-ACSL plug-in yet)
- ▶ **disjoint behaviors** states that given behaviors do not overlap (not supported by the E-ACSL plug-in yet)



```

#include <limits.h>

/*@ requires x > INT_MIN;
   @ behavior pos:
   @   assumes x >= 0;
   @   ensures \result == x;
   @ behavior neg:
   @   assumes x < 0;
   @   ensures \result == -x;
   @ complete behaviors;
   @ disjoint behaviors; */
int absval(int x) { return x>0 ? x : -x; }
  
```



- ▶ ACSL and E-ACSL use **mathematical integers**
- ▶ many advantages compared to bounded integers
 - ▶ **automatic theorem provers** work much better with such integers than with bounded integers arithmetics
 - ▶ specify **without implementation details in mind**
 - ▶ still **possible to use bounded integers** when required
 - ▶ much easier to **specify overflows**
- ▶ yet **runtime computations** may be more difficult



- ▶ E-ACSL uses **GMP** to represent mathematical integers
- ▶ try to **avoid them** as much as possible (interval-based type system)
- ▶ no GMP in the previous examples
- ▶ indeed few GMP's in practice
- ▶ only used when the annotations talk about (potentially) very big integers
- ▶ in such a case, **the generated code must be linked against GMP**



partial specification of pow

```

/*@ ensures \result > 0;
   @ behavior pos:
   @   assumes x > 0;
   @   ensures \result % x == 0;
   @   ensures (\result + 1) % x == 1; */
unsigned long long my_pow
(unsigned int x, unsigned int n)

```

- ▶ the generated program requires GMP



- ▶ E-ACSL provides several **built-in predicates** to talk about pointers
- ▶ `\valid(p)`: is p valid?
- ▶ `\initialized(p)`: is $*p$ initialized?
- ▶ `\base_addr(p)`: base address of the block containing p
- ▶ `\block_length(p)`: length of the block containing p
- ▶ `\offset(p)`: offset of p from `base_addr(p)`
- ▶ also provides **assigns** clause to talk about memory locations which may change (not supported by the E-ACSL plug-in yet).



- ▶ specifications may require values at different program points
- ▶ $\backslash\text{at}(e, L)$ refers to the value of expression e at label L
- ▶ some predefined labels:
 - ▶ $\backslash\text{at}(e, \text{Here})$ refers to the current state
 - ▶ $\backslash\text{at}(e, \text{Old})$ refers to the pre-state
 - ▶ $\backslash\text{at}(e, \text{Post})$ refers to the post-state
- ▶ $\backslash\text{old}(e)$ is equivalent to $\backslash\text{at}(e, \text{Old})$



```

/*@ requires \valid(p);
   @ requires \valid(q);
   @ ensures *p == \old(*q);
   @ ensures *q == \old(*p);
   @ assigns *p \from \old(*q);
   @ assigns *q \from \old(*p); */
void swap(int *p, int *q)
/* { ... } */

```

- ▶ the generated code is **machine-dependent**: add `-machdep x86_64` on an x86-64 architecture
- ▶ the generated program must be linked against the **E-ACSL memory library**
- ▶ E-ACSL tries to minimize the instrumentation (dataflow analysis)



- ▶ E-ACSL is based on a first order logic
- ▶ it provides **finite existential** and **universal quantifications** over terms
- ▶ quantifications must be **guarded**

```
\forall x_1, \dots, x_n;
  a_1 <= x_1 <= b_1 && ... && a_n <= x_n <= b_n
==> p
```

```
\exists x_1, \dots, x_n;
  a_1 <= x_1 <= b_1 && ... && a_n <= x_n <= b_n
&& p
```



Example 5: sum of matrices

A more advanced example about pointers and quantification

```
typedef int* matrix;
```

```
/*@ requires size >= 1;
   @ requires \forallforall integer i, j;
   @   0 <= i < size && 0 <= j < size ==>
   @   \bvalid(a+i*size+j) && \bvalid(b+i*size+j);
   @ ensures \forallforall integer i, j;
   @   0 <= i < size && 0 <= j < size ==>
   @   \bvalid(\bresult+i*size+j) &&
   @   \bresult[i*size+j] ==
   @   a[i*size+j]+b[i*size+j];
   @ */
matrix sum(matrix a, matrix b, int size);
```



Which memory errors are we able to detect here?

- ▶ **spatial error:** invalid memory access due to out-of-bounds offset or array index
- ▶ **temporal error:** invalid memory access to a deallocated memory object (use after free)
- ▶ **memory leak:** use more memory at the end of the execution than at the beginning.
 - ▶ use the special variable `__memory_size`

long n;
for (i = 0; i < n; i++)
 C[i][i] = 0;
tmp2 = 0;
for (k = 0; k < n; k++)
 for (j = 0; j < n; j++)
 tmp2 += C[k][j] * tmp1[j][i];
C[k][i] = tmp2;

tmp2[j][i] = 0; for (k = 0; k < n; k++) tmp1[j][i] += mC2[k][j] * tmp2[k][i];
The [j][i] coefficient of the matrix product MC2*TMP2, that is *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1 * MC1
i = 1; tmp1[0][i] >>= 1; Final rounding: tmp2[0][i] is now represented on 9 bits: if (tmp1[0][i] < -256) m2[0][i] = -256; else if (tmp1[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tmp1[0][i];



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if (long ra
t for 0 <=
ct) if (m
tmp2 =
re of the

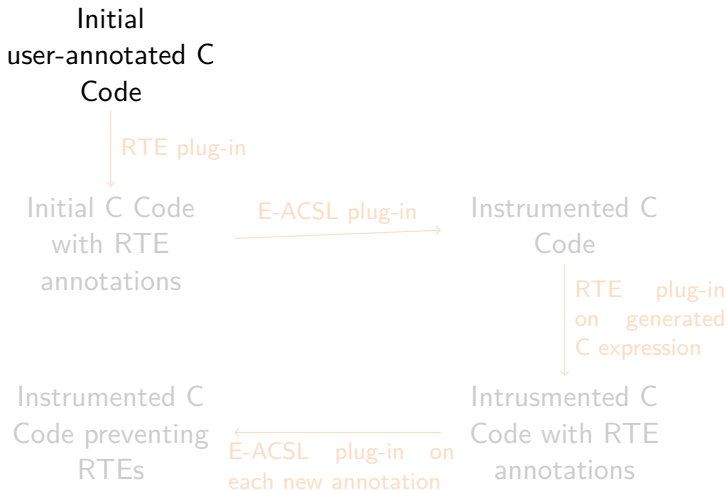
tmp2[0] = 1; if ((n&1) != 0) else if (tmp1[0] >= 1) <<= (n&1) - 1; else tmp2[0] = tmp1[0]; /* Then the second part takes the first one...
tmp1[0][0] = 0; k = 0; k <= 1; tmp1[0][k] = mc2[0][k] * tmp2[0][k]; /* The [j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1 *MC1
i = 1; tmp1[0][0] >>= 1; /* Final rounding: tmp2[0][0] is now represented on 9 bits. *if (tmp1[0][0] < -256) m2[0][0] = -256; else if (tmp1[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tmp1[0][0];



- ▶ ACSL logic is total and $1/0$ is logically significant
 - ▶ help the user to write simple specification like $u/v == 2$
 - ▶ $1/0$ is defined but not executable

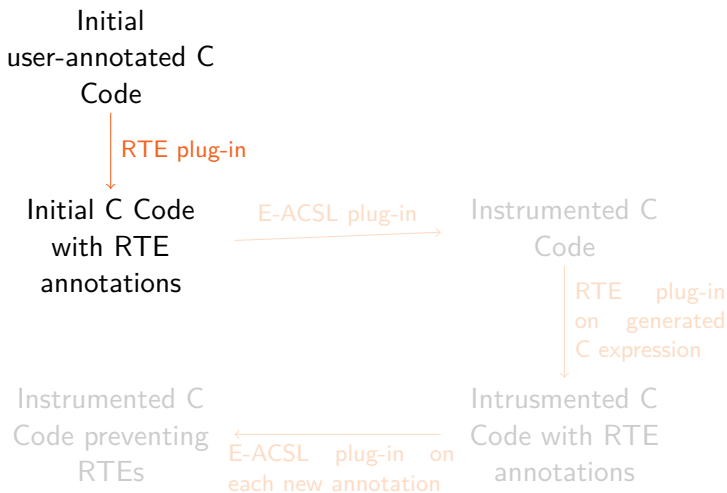
- ▶ E-ACSL logic is 3-valued
 - ▶ the semantics of $1/0$ is “undefined”
 - ▶ lazy operators $\&\&$, $||$, $_{-}?_:_$, $==>$
 - ▶ correspond to Chalin’s Runtime Assertion Checking semantics
 - ▶ consistent with ACSL: valid (resp. invalid) E-ACSL predicates remain valid (resp. invalid) in ACSL
 - ▶ Evaluating an undefined term must not crash





long ra
for 0 ->
C1; if m
tmp2;
e of the
tmp2[0] = 1 << (Nbr - 1); else if (tmp1[0]) >> 1 << (Nbr - 1); tmp2[0] = 1 << (Nbr - 1); else tmp2[0] = tmp1[0]; /* Then the second part looks like the first one: */
tmp1[0][0] = 0; k = 0; k <= 5; k <= 5; tmp1[0][k] += mc2[0][k] * tmp2[0][k]; /* The [k] coefficient of the matrix product MC2*TMP2, that is, *MC2[0](TMP1) = MC2[0]MC1*TM1) = MC2[0]M1*MC1
l = 1; tmp1[0][l] >> 1; /* Final rounding: tmp2[0][0] is now represented on 9 bits. *if (tmp1[0][0] < -256) m2[0][0] = -256; else if (tmp1[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tm

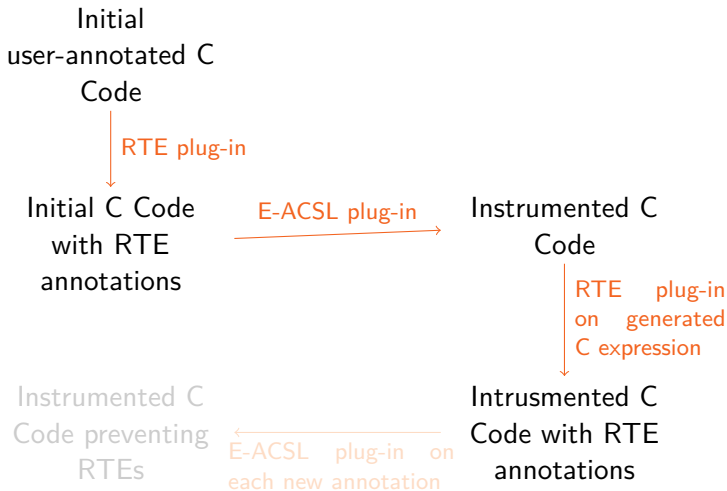


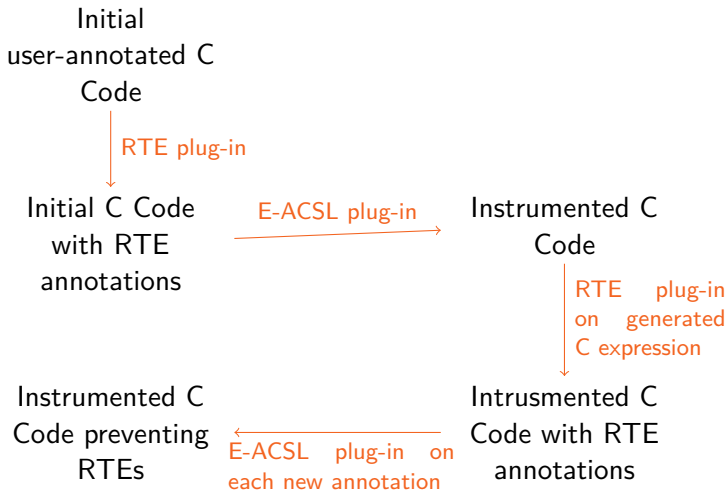


long ra
for 0 =>
C); if (m
tmp2 =
e of the

tmp2[0] = 1; if ((N&1) != 0) else if (tmp1[0]) >= 1) << (N&1) - 1; else tmp2[0] = tmp1[0]; /* Then the second part looks like the first one: */
tmp1[0][0] = 0; k = 0; k <= 5; k++) tmp1[0][k] += mc2[0][k] * tmp2[k][0]; /* The [k] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(M1)*MC1 -
l = 1; tmp1[0][l] >>= 1; */ Final rounding: tmp2[0][0] is now represented on 9 bits: *if (tmp1[0][0] < -256) m2[0][0] = -256; else if (tmp1[0][0] > 255) m2[0][0] = 255; else m2[0][0] = tm







dividability of elements of arrays

no need of writing assertions since RTE generates them

```

/*@ requires \forall integer i; 0 <= i < len ==>
    \valid(num+i) && \valid(denum+i)
    && \valid(result+i);
   @ ensures \forall integer i; 0 <= i < len ==>
       result[i] == (num[i] % denum[i] == 0 ? 1 : 0);
  @*/
void is_dividable
(int *num, int *denum, int *result, int len) {
  for(int i = 0; i < len; i++)
    if (num[i] % denum[i] == 0) result[i] = 1;
    else result[i] = 0;
}

```



Runtime assertion checking e.g. E-ACSL

- + provides a powerful tool to detect **various kinds of errors**
- + supports **expressive specifications** and provides an **unambiguous verdict**
- requires (representative) **test inputs** to run the code with

Structural test generation e.g. PathCrawler

- may have **restricted support of errors** and specification features (due to symbolic execution, its memory model, ...)
- cannot always provide a **verdict** automatically
- + can generate a **test suite** with a rigorous coverage

Combine E-ACSL and PathCrawler to check the specification at runtime on a test suite with a rigorous coverage



- ▶ Frama-C comes with various **static analyzers**
- ▶ some aim at statically verifying a program
 - ▶ may guarantee the **absence of runtime error**
 - ▶ may ensure that **a program satisfies its ACSL specification**
- ▶ usually require **extra work** by the user
 - ▶ adding extra annotations (assertions, loop invariants, etc)
 - ▶ parameterizing the tool
 - ▶ writing stubs
- ▶ what to do when all the code is not statically verified?

may also use **E-ACSL** on such cases



Plug-in Wp

- ▶ based on Dijkstra's **weakest precondition calculus**
- ▶ generates theorems (proof obligations) to **ensure that a code satisfies its ACSL specification**
- ▶ uses automatic/interactive **theorem provers** to verify these theorems
- ▶ is able to verify complex specifications
- ▶ requires to manually add **extra annotations** (e.g. loop invariants)



- ▶ **idea 1:** dynamically check with E-ACSL the properties which are not statically proved with Wp.
- ▶ **idea 2:** use E-ACSL to test your specification before trying to prove it with Wp
 - ▶ use pre-existing test suites
 - ▶ write test cases manually
 - ▶ generate test cases with an automatic test generation tool like the **PathCrawler** plug-in of Frama-C
- ▶ the annotations proved by Wp are not converted by E-ACSL and so not checked at runtime (except if the option `-e-acsl-valid` is set)



goal: formally specify `binary_search` according to its informal specification

```

/* Takes as input a sorted array, its length,
   and an int to search for.
   Returns the index of a cell which contains
   the searched value.
   Returns -1 if the key is not present in the
   array. */
int binary_search(int *a, int length, int key);

```



Plugin Value

- ▶ based on Cousot's **abstract interpretation**
- ▶ computes over-approximations of possible **values of variables** at each program point
- ▶ evaluates simple E-ACSL annotations
- ▶ is able to statically **ensure the absence of RTE**
- ▶ **generates extra E-ACSL annotations** when it cannot guarantee the absence of RTE



- ▶ possible to combine Value, WP + E-ACSL
- ▶ even possible to send E-ACSL results back into Frama-C

Time for the final demo!

```

(long int)
for (i = 0; i < n; i++)
  C[i] = 0;
tmp2 = 0;
// ...

```

```

tmp2[i] = 0; // (n-1) else if (tmp1[i]) >= 0; // (n-1) tmp2[i] = (tmp1[i] + 1) / 2; // Then the second part looks like the first one.
tmp1[i] = 0; // k = 5, k-1 = 4
tmp1[i] += mc2[i][k] * tmp2[k]; // The [i][k] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1
i = i + 1; tmp1[i] >= 0; // Final rounding: tmp2[i] is now represented on 9 bits. *if (tmp1[i] < -256) tmp2[i] = -256; else if (tmp1[i] > 255) tmp2[i] = 255; else tmp2[i] = tmp1[i];

```



We have seen:

- ▶ how to **specify** a C program with the **E-ACSL** specification language
- ▶ how to **detect errors at runtime** with the **E-ACSL plug-in** of **Frama-C**
- ▶ how to **combine** E-ACSL with other analyses
 - ▶ RTE
 - ▶ WP
 - ▶ Value
 - ▶ PathCrawler



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